

NE7 Page 5, between lines 10 and 11, insert the heading  
-- SUMMARY OF THE INVENTION --.

NE7 Page 7, delete lines 29-32.

NE7 Page 7, before line 33, insert the heading -- BRIEF  
DESCRIPTION OF THE DRAWINGS --.

NE7 Page 8, between lines 3 and 4, insert the heading  
-- DESCRIPTION OF PREFERRED EMBODIMENTS --.

IN THE CLAIMS:

Please amend Claims 1-8 as follows:

91  
-- 1 (Amended). A digital equalization method for  
estimating discrete information symbols  $[(d_k)]$  of a  
transmitted signal] from digital samples  $[(y_k)]$  of a  
signal received over a transmission channel represented by  
a finite impulse response of  $W+1$  coefficients  
 $[(r_0, r_1, \dots, r_W)]$ ,  $W$  being an integer greater than 1,  
comprising the steps of:

- determining [the]  $W$  roots  $[(\alpha_1, \alpha_2, \dots, \alpha_W)]$  in the  
complex plane of the Z-transform  $[(R(Z))]$  of the  
impulse response;
- distributing the  $W$  roots into a first set of  $W-p$   
roots  $[(\alpha_1, \dots, \alpha_{W-p})]$  and a second set of  $p$  roots  
 $[(\alpha_{W-p+1}, \dots, \alpha_W)]$ ,  $p$  being an integer greater than 0

and smaller than  $W$ , the roots of the second set being closer to the unit circle than those of the first set according to a determined distance criterion in the complex plane;

- obtaining an intermediate signal  $[(Y')]$  by applying a first equalization method to the received signal  $[(Y)]$  based on a finite impulse response [whose] having a Z-transform  $[(R^S(Z))$ , formed by] consisting of a polynomial of degree  $W-p$  in  $Z^{-1}$ , [has] having roots [which are] equal to the  $W-p$  roots of the first set; and
- obtaining estimations  $[(\hat{d}_k)]$  of the discrete information symbols [of the transmitted signal] by applying a second equalization method to the intermediate signal based on a finite impulse response [whose] having a Z-transform  $[(R^I(Z))$ , formed by] consisting of a polynomial of degree  $p$  in  $Z^{-1}$ , [has] having roots [which are] equal to the  $p$  roots of the second set.

2 (Amended). A method according to claim 1, wherein the first equalization method yields the intermediate signal in the form of a vector  $Y'$  of  $n+p$  samples  $[(Y'_1, \dots, Y'_{n+p})]$  obtained according to the relation :

$$Y' = (A'^H A')^{-1} A'^H Y$$

where  $n$  is an integer representing a frame size,  $Y$  is a vector composed of  $n+W$  samples  $[(y_k)]$  of the received signal, and  $A'$  is a matrix with  $n+W$  rows and  $n+p$  columns having a Toeplitz structure formed from the coefficients  $[(s_q)]$  of said polynomial of degree  $W-p$  in  $Z^{-1}$   $[(R^S(Z))]$ .

3 (Amended). A method according to claim 1 [or 2], wherein the second equalization method comprises implementing a Viterbi algorithm.

4 (Amended). A method according to [any one of claims 1 to 3] claim 1, wherein the unit circle distance criterion, used to distribute the  $W$  roots  $\alpha_1, \dots, \alpha_W$  of the Z-transform  $[(R(Z))]$  of the channel impulse response into the first and second sets, is expressed as a distance  $\delta_q$  of the form  $\delta_q = 1 - |\alpha_q|$  if  $|\alpha_q| \leq 1$ , and of the form  $\delta_q = 1 - 1/|\alpha_q|$  if  $|\alpha_q| > 1$ , for  $1 \leq q \leq W$ .

5 (Amended). A radio communications receiver comprising:

- conversion means  $[(1,3,4)]$  to produce digital samples  $[(y_k)]$  from a radio signal received over a transmission channel represented by a finite impulse response of  $W+1$  coefficients  $[(r_0, r_1, \dots, r_W)]$ ,  $W$  being an integer greater than 1;
- means  $[(6)]$  for measuring the channel impulse response;
- means for calculating [the]  $W$  roots  $[(\alpha_1, \alpha_2, \dots, \alpha_W)]$  in the complex plane of the Z-transform  $[(R(Z))]$  of the impulse response;
- means for distributing the  $W$  roots into a first set of  $W-p$  roots  $[(\alpha_1, \dots, \alpha_{W-p})]$  and a second set of  $p$  roots  $[(\alpha_{W-p+1}, \dots, \alpha_W)]$ ,  $p$  being an integer greater than 0 and smaller than  $W$ , the roots of the second set being closer to the unit circle than those of the first set according to a determined distance criterion in the complex plane;

- a first equalization stage for producing an intermediate signal by applying a first equalization method to the received signal  $[(y_k)]$  based on a finite impulse response [whose] having a Z-transform  $[(R^S(Z))]$ , formed by] consisting of a polynomial of degree  $W-p$  in  $Z^{-1}$ , [has] having roots [which are] equal to the  $W-p$  roots of the first set; and
- a second equalization stage for producing estimations  $[(\hat{d}_k)]$  of the discrete symbols of a signal carried on the channel by applying a second equalization method to the intermediate signal based on a finite impulse response [whose] having a Z-transform  $[(R^I(Z))]$ , formed by] consisting of a polynomial of degree  $p$  in  $Z^{-1}$ , [has] having roots [which are] equal to the  $p$  roots of the second set.

6 (Amended). A receiver according to claim 5, wherein the first equalization stage is arranged to yield the intermediate signal in the form of a vector  $Y'$  of  $n+p$  samples  $[(y'_1, \dots, y'_{n+p})]$  obtained according to the relation:

$$Y' = (A'^H A')^{-1} A'^H Y$$

where  $n$  is an integer representing a frame size,  $Y$  is a vector composed of  $n+W$  samples  $[(y_k)]$  of the received signal, and  $A'$  is a matrix with  $n+W$  rows and  $n+p$  columns having a Toeplitz structure formed from the coefficients  $[(s_q)]$  of said polynomial of degree  $W-p$  in  $Z^{-1}$   $[(R^S(Z))]$ .

7 (Amended). A receiver according to claim 5 [or 6], wherein the second equalization stage is arranged to implement a Viterbi algorithm.

8 (Amended). A receiver according to [any one of claims 5 to 7] claim 5, wherein the means for distributing the W roots into the first and second sets make use of a unit circle distance criterion expressed as a distance  $\delta_q$  of the form  $\delta_q = 1 - |\alpha_q|$  if  $|\alpha_q| \leq 1$ , and of the form  $\delta_q = 1 - 1/|\alpha_q|$  if  $|\alpha_q| > 1$ , for  $1 \leq q \leq W$ . --

---